

FORECASTING STOCK MARKET PRICES EMPLOYING OPINION MINING AND DEEP NETS WITH ATTENTION.

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Abstract: The present volatility of the stock markets makes forecasting stock trends extremely challenging owing to several socio economic and political factors other than market trends. While machine learning models can be used to perform regression analysis based on historical numerical data trends, it becomes extremely challenging to incorporate the variabilities which are non-numeric in nature. Some of the factors which govern the rise and fall of stock prices are socio economic conditions, trade wars, current pandemic situation and global market slowdown, reliability of a company among others. Hence, one of the most effective ways to incorporate these trends is analyzing public trends pertaining to the same. While public sentiments may not always be coherent to prevailing market trends, yet they often portray the existential trends in the market and opinions of the public regarding potential purchases of stocks of a particular company in a given time period. This paper presents an approach which is an amalgamation of deep nets with attention and opinion mining for forecasting stock trends. The attention vector employed as an additional input computed on the moving average allows for current trend analysis along with opinion mining from public datasets encompassing both numeric data trends and non-numeric data parameters. The performance of the proposed system has been evaluated in terms of the error rates, regression and accuracy of forecasting for the system. Experimental analysis on benchmark S&P datasets show that the proposed approach outperforms baseline techniques in terms of accuracy of forecasting and regression.

Keywords: Stock Market Forecasting, Deep Nets, Attention Vector, Opinion Mining, , Regression, Forecasting Accuracy

1. INTRODUCTION

Financial assessment and investing depend critically on stock market trend analysis. While stock market trend analysis is a time series regression problem, what makes it extremely complicated is the dependence on several non-numeric parameters such as socio economic conditions, political conditions of a country, political stability, financial crisis and trade wars, global slowdown and public sentiments pertaining to a company etc [1]. This leads to variabilities in the stock trends often exhibiting non-coherent patterns with respect to historical data [2].

Economic conditions can have a significant impact on stock trends. For example, during a recession, stock prices tend to decline as investors become more risk-averse. Conversely, during periods of economic growth, stock prices tend to rise as investors become more optimistic about the future [3]. Political factors can also impact stock trends. For example,

changes in government policies, such as tax rates or regulations, can affect the performance of specific sectors of the economy and, in turn, impact stock prices [4]. The performance of individual companies can also impact stock trends. Positive news, such as strong earnings reports or new product launches, can cause a stock to rise, while negative news, such as a product recall or a decline in earnings, can cause a stock to fall [5]. Market sentiment, or the overall mood of investors, can also impact stock trends. If investors are optimistic about the future, they may be more willing to invest in stocks, driving up prices [6]. Conversely, if investors are pessimistic, they may be more likely to sell their stocks, leading to a decline in prices. Global events, such as natural disasters, geopolitical tensions, or pandemics, can also impact stock trends [7]. These events can create uncertainty in the markets and cause investors to become more risk-averse and hence it is essential to note that stock trends are inherently variable and can be influenced by a wide range of factors [8]. It's also worth mentioning that past performance does not guarantee future results, so investors should exercise caution when making investment decisions based on historical stock trends [9]. The variabilities in stock trends are influenced by a variety of factors, including economic conditions, political factors, company performance, market sentiment, and global events [10]. While several approaches have been developed to predict stock market trends, yet it is often challenging to incorporate the non-numeric global influencing factors as a feature for stock trend analysis. One of the approaches which has been proven to be effective in incorporating global influencing factors along with public sentiments is using opinion mining and sentiment analysis for garnering nonnumeric data as an exogenous input in addition to historical numeric data trends [11]. Various trend analysis techniques try to estimate the movement of stock trends based on the variables of influence. Fundamental analysis methods involve studying the financial and economic factors that affect a company's stock price. This includes analyzing the company's financial statements, such as balance sheets, income statements, and cash flow statements [12]. Additionally, fundamental analysts consider macroeconomic factors such as interest rates, inflation, and GDP growth rates. The goal of fundamental analysis is to identify companies that are undervalued or overvalued based on their financial and economic metrics [13]. Technical analysis, on the other hand, involves analyzing past market data, such as stock prices and trading volumes, to identify patterns that can be used to predict future stock price movements [14]. Technical analysts use various tools, such as charts and technical indicators, to analyze market data and identify trends and patterns. The goal of technical analysis is to identify trends in the market and use them to predict future price movements [15]. Some noteworthy contribution in the field has been presented subsequently to analyze latest trends in data. Ren et al. [16] proposed a sentiment analysis based method along with support vector machine (SVM) for stock market forecasting. Polarities of sentiments along with historical data trends have been used to train the SVM regression model. Singh et al. in [17] presented two hybrid models comprising of the SVM-KNN (K-nearest neighbor) and Support Vector Regression (SVR), Artificial Neural Network (ANN) models for stock market trend analysis. The approach shows superior performance compared to the individual models. Gers et al. in [18] proposed a cascaded LSTM model for stock market forecasting, The two LSTM models were shown to have a domino effect with one of the modules predominantly avoiding over fitting and the other predominantly recognizing patterns and forecasting values.

2. DATA PRE-PROCESSING AND FEATURE EXTRACTION.

The objectives of the proposed methodology are addressing two fundamental challenges [19]:

- 1) Offsetting effects of noise and disturbances inherent to stock.
- 2) Employing a training algorithm which can render high prediction accuracy for multiple benchmark datasets.
- 3) Leveraging public sentiments [20].

2.1. Leveraging Sentiment Analysis

The stock markets seem to have a clear reliance on public sentiments. However, public sentiments are often extremely value and random in nature. Quantifying public sentiments is also challenging, in this approach, the opinions of public pertaining to the stock market are gathered from twitter and subsequent quantified as:

- +1: Positive Sentiment
- -1: Negative Sentiment

0: Neutral Sentiment

One of the major challenges in sentiment analysis is the contextual analysis of data. The different aspects are discussed subsequently [21].

Contextual Analysis

It is often difficult to estimate the context in which the statements are made. Words in textual data such as tweets can be used in different contexts leading to completely divergent meanings

[22] Frequency Analysis

Often words in textual data (for example tweets) are repeated such as ##I feel so happy today!! In this case, the repetition of the word is used to emphasize upon the importance of the word. In other words, it increases to its weight. However, such rules are not explicit and do not follow any regular mathematical formulation because of which it is often difficult to get to the actuality of the tweet [23]

Converting textual data into numerically weighted data

The biggest challenge in using an ANN based classifier is the fact that the any ANN structure with a training algorithm doesn't work upon textual data directly to find some pattern. It needs to be fed with numerical substitutes. Hence it becomes mandatory to replace the textual information with numerical information so as to facilitate the learning process of the neural network [24].

the machine or artificial intelligence system requires training for the given categories [25]. Subsequently, the neural network model needs to act as an effective classifier. The major challenges here the fact that sentiment relevant data vary significantly in their parameter values due to the fact that the parameters for each building is different and hence it becomes extremely difficult for the designed neural network to find a relation among such highly fluctuating parameters. Generally, the Artificial Neural Networks model's accuracy depends on the training phase to solve new problems, since the Artificial Neural Networks is an information processing paradigm that learns from its environment to adjust its weights through an iterative process [26].

Deep learning models do have the capability to extract meaning form large and verbose datasets by finding patterns between the inputs and targets. Since neural nets directly process numeric

data sets, the processing of data is done prior to training a neural network. The texts are first split into training and testing data samples in the ratio of 70:30 for training and testing. Further, a data vector containing known and commonly repeated spam and ham words is prepared. The SMS spam collection v.1 dataset is used as a dataset for the proposed work. Text normalization is followed by removal of special characters and punctuation marks. Subsequently the data set structuring and preparation is performed based on the feature selection. The proposed approach is mathematically modeled as:

The prepared data vector for training is used for training wherein the weights are initialized randomly. A stepwise implementation is done as:

1. Prepare two arrays, one is input and hidden unit and the second is output unit.

Here, a two dimensional array Wij is used as the weight updating vector and output is a one dimensional array Yi [27]

3. Original weights are random values put inside the arrays after that the output.

$$x_{j} = \sum_{i=0} y_{i} W_{ij} \tag{1}$$

Where,

y_i is the activity level of the jth unit in the previous layer and

 W_{ij} is the weight of the connection between the ith and the jth unit.

3. Next, activation is invoked by the sigmoid function applied to the total weighted input.

$$y_{i} = \left[\frac{e^{x} - e^{-x}}{e^{x} + e^{-x}}\right]$$
(2)

Summing all the output units have been determined, the network calculates the error (E).

$$E = \frac{1}{2} \sum_{i}^{2} (y - \frac{1}{2})^{2}$$
(3)

Where, yi is the event level of the jth unit in the top layer and di is the preferred output of the ji unit. Calculation of error for the back propagation algorithm is as follows [28]: Error Derivative (*EA*j) is the modification among the real and desired target:

$$EA = \frac{6E}{\mathbf{j}} = \frac{\mathbf{y} - d}{\mathbf{6}\mathbf{y}_{i}} = \mathbf{j} - d$$
(3)

Here,

E represents the error

y represents the Target vector

d represents the predicted output

Error Variations is total input received by an output changed given by:

$$\underline{\underline{E}}_{j} = \frac{\mathbf{6E}}{\mathbf{6K}_{j}} = \frac{\mathbf{6E}}{\mathbf{6y}_{j}} X \underbrace{\frac{\mathbf{dy}_{j}}{\mathbf{dx}_{i}}}_{\mathbf{1} = \mathbf{EA}} \underbrace{y(1-y)}_{\mathbf{1} = \mathbf{1}}$$
(4)

Here,

E is the error vector

X is the input vector for training the neural network

In Error Fluctuations calculation connection into output unit is computed as:

$$\frac{EW}{ii} = \frac{-\frac{6E}{6W_{fr}}}{-\frac{6E}{6K_{j}}} - \frac{\frac{6K_{j}}{6W_{fr}}}{\frac{6K_{j}}{6W_{fr}}} = EI y$$
(5)

Here,

W represents the weights

I represents the Identity matrix

I and j represent the two dimensional weight vector indices Overall Influence of the error:

$$\underline{\underline{E}} = \frac{6E}{i} - \frac{6E}{6y_{i}} \sum_{j} \frac{6E}{6x_{j}} \frac{X}{j} \frac{6x_{j}}{6y_{i}} = \sum_{j} \underbrace{EIW}_{j j j ij}$$
(6)

The partial derivative of the Error with respect to the weight represents the error swing for the system while training. The gradient is considered as the objective function to be reduced in each iteration. A probabilistic classification using the Bayes theorem of conditional probability is given by:

$$P\left(\frac{H}{K}\right) = \frac{\frac{P(K)}{H}}{P(K)}$$
(7)

Posterior Probability [P (H/X)] is the probability of occurrence of event H when X has already occurred

Prior Probability [P (H)] is the individual probability of event H X is termed as the topple and H is termed as the hypothesis.

Here, [P (H/X)] denotes the probability of occurrence of event X when H has already occurred.

Subsequently, the wavelet transform is used on previous stock values to filter out local noise baseline. The wavelet transform can be thought of as a combination of high pass and low pass filtering techniques.

$$(n) \xrightarrow[\text{DWT}]{} Z_{\text{LPF}}, Z_{\text{HPF}}$$
(8)

Here, Here,

DWT represents the discrete wavelet transform operator. *ZLPF* are the low pass filtered co-efficient values. *ZHPF* are the high pass filtered co-efficient values. [29].

Typically, the high pass co-efficient values contain the fluctuations and the low pass components contain the original information of the image [30]. The decomposition of the images using wavelet transform can be done as a decomposition tree in which each decomposition level would yield the approximate co-efficient values, the detailed co-efficient values, the horizontal co-efficient values and the vertical co-efficient values [31]. Thus the image in the spatial domain would be converted to the wavelet domain co-efficient as :

Here,

$$(x, y) \xrightarrow[\text{DWT2]}{} C_{\text{A}}, C_{\text{D}}, C_{\text{H}}, C_{\text{V}}$$

$$\tag{9}$$

CA represents the approximate co-efficient values.

CD represents the detailed co-efficient values.

*C*V represents the vertical co-efficient values.

*C*H represents the horizontal co-efficient values.

DWT2represents the discrete wavelet transform on two dimensional image data.

3. TRAINING ALGORITHM

The DWT is used to filter the raw data, subsequent to which the back propagation based GDM algorithm is used for pattern recognition and forecasting. The data features used in this study are date, previous day closing price, present day opening price, volume (swing), highest and lowest price of the day [32]. The training algorithm employed here is the back propagation-gradient descent. Following a standard convention, 70% of the data is utilized for training the neural network and 30% is used for testing.

In the proposed training algorithm, a gradient descent with mount factor has been employed to design an ensemble approach [33]. The momentum based approach take in into account the fact that often the condition to attain minima is not reached in optimal number of steps due to the fowling reasons [34]:

- 1) Oscillations in the cost function leading to surpassing the convergence plane.
- 2) Lack of monotonicty in the cost function resulting to non-convergence.

The above constraints are addressed in the momentum based gradient descent where a momentum term plays the role of inertia factor reducing the acceleration along y-axis to impart higher acceleration along an orthogonal axis so as to reach convergence faster. This is depicted in figure 1.

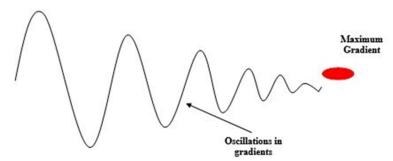


Figure 1. Depicting the oscillations based cost function The acceleration of the cost function can be expressed as:

Here,

$$cost_{acceleration} = x_a + x_b$$
 (10)

costacceleration is the overall cost function's acceleration.xa corresponds to the acceleration along one direction.xb corresponds to acceleration along the orthogonal direction.

By reducing the sudden acceleration along direction 'a', the acceleration along the orthogonal direction can be increased which would result in faster convergence. Thus for each iteration 'k', the weight vector would be updated as a scaled version of the weights as [35]:

Here,

$$v_{a}\partial w = mv_{a}\partial w + (1 - \underline{m})w \tag{11}$$

va represents the learning velocity along 'a'.

m represents the momentum factor

w represents the weights.

 ∂w represents the differential weights

The training algorithm can be expressed as:.

The training algorithm adopted in this work is given by:

Step.1: Initialize weights (*w*) randomly.

Step.2: Fix the maximum number of iterations (n)

Step.3: Update weights using gradient descent with an aim to minimize the objective function J given by:

$$J = \sum_{m}^{\infty} \sum_{i=1}^{m} (v_{i} - v_{i})^{2}$$
(12)

Step.4: Compute the Jacobian Matrix **J** given by:

$$J = \begin{bmatrix} \frac{6^2 \mathbf{e}_1}{6\mathbf{w}_1^2} & \cdots & \frac{6^2 \mathbf{e}_1}{6\mathbf{w}_m^2} \\ \vdots & \ddots & \vdots \\ \frac{6^2 \mathbf{e}_n}{6\mathbf{w}_1^2} & \cdots & \frac{6^2 \mathbf{e}_n}{6\mathbf{w}_m^2} \end{bmatrix}$$
(13)

Here,

The error *e* is computed as:

$$e = (v_{\mathbf{i}} - v'_{\mathbf{i}}) \tag{14}$$

Step.5: Iterate steps (1-4) till the cost function *J* stabilize or the maximum number of iterations set in step 2 is reached, whichever occurs earlier.

Step.6: The weight updating rule for the Bayesian Regularization algorithm is given by:

Here,

I is an identity matrix, Wk is weight for iteration k, Wk+1 is the weight for iteration k+1 ek is the error for iteration k,

$$W_{k+1} = W_k - [J_k^{T}J_k + \mu I]^{-1} J_k^{T}e_k$$
(15)

-

 μ is the amount by which weight changes in each iteration

Generally, the gradient is the rate of change of error w.r.t. weights given by:

$$a = \frac{6e}{6w} \tag{16}$$

The second order gradients generally comprise the Jacobian matrix. The simple gradient is actually a function of time or iteration. As data is fed to a neural network for pattern recognition, the weights keep updating. However, it has been found that in case of time series problems, the latest data sample have the maximum impact on the latest output. Hence it is logical to calculate a moving average of latest (previous) data and apply it to the neural network [36]. This is also called a moving average. Mathematically, Here,

$$I_{\mathbf{k}} = X_{1,\mathbf{k}}, Mean(X)_{\mathbf{k},\mathbf{k}-\mathbf{n}}, Y_{\mathbf{k}}$$
(17)

Ikis the kth input sample to the neural network

*X*1,k are the data samples from the first to the kth sample

Mea(X)k,k-nis the mean of the data samples from k-n to k, i.e. it is a moving average depending on the value of k

Ykis the target

Thus a moving average of the *CA* and *CA* values can be computed after the after the application of the PCA [37]. The next step would be creating a new training vector comprising of the following variables:

Here,

$$Tr = [X1_{\underline{CA,CD}}, X2_{\underline{CA,CS}} \dots \dots Xn - 1_{\underline{CA,CD}} Xn_{\underline{CA,CD}}, Avg_{n-k}, Y]$$
(18)

Tr is the training vector,

Y is the target vector.

 $X1_{CA,CD}$, $X2_{CA,CS}$ $Xn - 1_{CA,CD}Xn_{CA,CD}$ are the individual decomposed values of the features using the DWT iteratively.

Avgn-k is the, owing average of the variables.

Attention Scores: For the ML model's states h_i , the regression value targets denoted by the vector s_{t-1} , the score value for the regression analysis, e_t , depicts the metric for regression or cosine alignment of the inputs with the targets. The dependence is thus given

by [38]:

$$e_{t} \xrightarrow[\text{attention score}]{} Reg(h,t)$$
(19)

Weight Updating Rule: The weights αt , can be estimated through the alignment factor for the weights corresponding to the input vectors. The softmax activation function may be used for the purpose given by:

$$\alpha_{t,1} = softmax(e_{t,i}) \tag{20}$$

Computation of Context: The vector quantityct, for the hidden layer connections can be computed as:

$$c_{t} = \sum_{i=1}^{T} \alpha_{t,i} h_{i} \tag{21}$$

The contextual vector, Vk, i, associated with weights αt , i can be computed as:

attention
$$(V_{k,i}, \alpha_{t,i}) = \sum \alpha_{t,i} * V_{k,i}$$
 (22)

The results obtained through the application of the proposed approach are presents in the subsequent section.

4. **RESULTS AND DISCUSSION**

Three different datasets have been used in the proposed work which is that of SBI, Infosys and Reliance share prices, obtained from Yahoo Finance Repository (https://in.finance.yahoo.com/quote). The performance indices chosen are the accuracy, mean absolute percentage error, iterations to convergence and regression. The mean absolute percentage error of the system is found to be 7.6% for the SBI dataset. This yields and accuracy of 92.4% which is relatively high compared to the existing literature and more recent hybrid techniques. A similar analysis has been adopted for the Infosys and Reliance datasets.

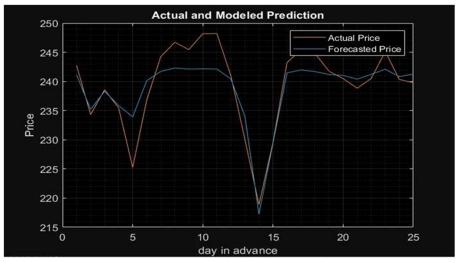


Figure 2. Predicted and Actual values

The MAPE and Regression Values for the Infosys and TCS datasets are 10.55, 0.915, and 11.3, 0.91 respectively. The value of the MAPE and accuracy are suggestive of the fact that the proposed system is capable to filter out the noisy values from the original noise floor and forecast the stock prices with relatively high accuracy. This statistical analysis of the approximate and detailed co-efficient values also indicate the same as the histogram of the detailed coefficient values are significantly w.r.t. to the original data while the detailed coefficient values are convergent with the actual data. This indicates that the noise effects have been removed by iterative filtering employing the DWT. The regularization parameter avoids the chances of over fitting and facilitates pattern recognition.

S.	Dataset	MAPE	Accuracy	Iterations to	Regression
No.			(%)	Convergence	(Overall)
1.	SBI	7.6	92.4	47	0.93
2.	Infosys	10.55	89.45	66	0.93
3.	Reliance	11.3	88.7	59	0.94

Table 1.Summary of MAPE and Regression Values.

A comparative analysis with exiting work in the domain has presented in Table 2.

S. No.	Technique	Accuracy	
1.	Transfer Entropy and Machine Learning (Kim et al.,	57%	
	2020)		
2.	Augmented Textual Feature Based Learning (Bouktif at	60%	
	al., 2020)		
3.	LSTM with Sentiment Analysis (Li et al., 2020)	49.6%	
4.	HFS based X-Boost (Pryima et al., 2019)	79%	
5.	Hybrid Red Deer-Grey Algorithm (Xu et al., 2020).	85.2%	
6.	Variation Auto encoders (VAE) (Liu et al., 2020)	67%	
7.	Proposed Technique (Mean Accuracy)	90.183%	

Table 2. Summary of Comparative Average Accuracy

5. CONCLUSION

This paper presents a stock market forecasting model based on sentiment analysis and regression learning. The sentiment polarities of the stocks are obtained from twitter data available in the public domain. A DWT decomposition of the data is done and subsequent statistical analysis is performed to correlate the noise floor with the actual data to be analyzed. It has been successfully shown that discarding the detailed co-efficient values helps in data cleaning and retaining the approximate co-efficient values results in subsequent accurate pattern recognition in the data. The performance of the system has bene evaluated in terms of the regression, mean absolute percentage

error and accuracy of the system. The system attains an average accuracy of 90.183% which is significantly higher compared to existing literature.

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